





Generation of Continuous Variable Quantum Correlations in the Transverse Plane

Quantum Imaging Team

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Why higher spatial mode measurements ? Quantum optics experiments usually consider:

• single mode quantum states of light.

Higher order modes give:

• Additional information about the laser field.

This information does lead to:

• Improved sensitivity for laser tilt / displacement / ROC change and mode squashing.

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Displacement and Tilt



Small signal expansion

$$TEM_{00}(d) = TEM_{00} + d. \frac{\partial TEM_{00}}{\partial x}$$
 1st order (Taylo
No d dependence proportional to d
Displacement
$$\left\{ TEM_{00}(d) = TEM_{00} + \frac{d}{w_0}TEM_{10} \right\}$$

Tilt
$$\left\{ TEM_{00}(\theta) = TEM_{00} + i\frac{\pi w_0 \theta}{\lambda}TEM_{10} \right\}$$

 λ

 \mathbf{r}

M.T.L. Hsu et al. Phys. Rev. A 72, 013802 (2005).

Optimal T & D measurements



and W.P.Bowen, J.Opt.B, **6**, 495 (2004)

Experiment using flipped mode



Conclusions as of last meeting

Results :

- demonstration of TEM_{10} Homodyne Detection for displacement and tilt measurements

- detection of displacement modulation below the QNL using the homodyne scheme

- 25% efficiency improvement compared to Split Detection

 $\frac{\text{SNR}_{\text{split detection}}}{\text{SNR}_{\text{homodyne detection}}} = 0.64 + -0.07$ $\uparrow \text{theoretical value !}$

How do we generate CV quantum correlations in higher spatial modes?

We do this by producing squeezed light fields in modes other than TEM00;

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But there is a better way!!

What choices do we have ?

SHG/OPA configuration;

Optical Cavity;

- MEMS mirrors;
- Holograms; or

Computer controlled phase plates.

OPA Cavity Creating TEMn0 Squeezing



The Experiment



The OPA Cavity



Phase Matching for OPA Cavity



Gain Curves for TEM00, 01, 02



SQZ TEM01 and TEM02



Single Pass Measurements



SHG Efficiency

Normalized T Vs SHG power



Mode output Vs phase matching Temperature



Energy Transfer



The Physics

If u represents the IR laser amplitude and v represents the green amplitude then it was previously thought that:

$$u^2 = \alpha_0 v_0 + \alpha_2 v_2 = 0.57 v_0 + 0.82 v_2$$

But it is actually described by:

$$u^{2}(T) = \alpha_{0}(T)v_{0} + \sqrt{1 - \alpha_{2}(T)}v_{2}e^{i\phi(T)}$$

The Main Feature





Other interesting results

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Generation of a frequency comb of squeezing in an optical parametric oscillator

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The multimode operation of an optical parametric oscillator (OPO) operating below threshold is calculated. We predict that squeezing can be generated in a comb that is limited only by the phase matching bandwidth of the OPO. Effects of technical noise on the squeezing spectrum are investigated. It is shown that maximal squeezing can be obtained at high frequency even in the presence of seed laser noise and cavity length fluctuations. Furthermore the spectrum obtained by detuning the laser frequency off OPO cavity resonance is calculated.

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